

## ON eGE-ALGEBRAS

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### Abstract

A new algebraic structure was introduced, called an eGE-algebra, which is a generalisation of a GE-algebra and investigated its properties. We explore the definition of filters and the quotient algebra associated with such filters.

**Keywords:** BE-algebra, GE-algebra, eGE-algebra, transitive, filter.

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