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AN INJECTIVE PSEUDO-BCI ALGEBRA IS TRIVIAL

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Abstract

Injective pseudo-BCI algebras are studied. There is shown that the only injective pseudo-BCI algebra is the trivial one.

Keywords: pseudo-BCI algebra, injective pseudo-BCI algebra.

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