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RIGHT DERIVATION OF ORDERED Γ-SEMIRINGS

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Abstract

In this paper, we introduce the concept of a right derivation of ordered Γ-semirings, we study some of the properties of right derivations of ordered Γ-semirings and we prove that if d is a non-zero right derivation of additively commutative cancellative prime ordered Γ-semring M then M is a commutative ordered Γ-semiring.

Keywords: ordered Γ-semiring, right derivation, derivation, negatively ordered Γ-semigroup, positively ordered Γ-semigroup.

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